

Modeling the exchange rate pass-through in Turkey with uncertainty and geopolitical risk: A Markov regime-switching approach

Appendix C

Additionally, we considered analyzing the moderating effects by following different distributions and different quantiles to show some moderating effects of economic uncertainty and geopolitical risk on ERPT.

The moderator effects might be investigated through two-way and three-way interactions by linear functions with normal distribution and by non-linear functions with e.g. binomial or Poisson distributions as depicted in Dawson (2014). It can be also analyzed through categorical variable when nominal or ordinal scale (e.g. male and female) is employed, or, it can be investigated through continuous variable when interval scale is observed (e.g. high level and low level of skepticism) as is indicated by Memon et al. (2019).

This paper has launched the regressions through (1) Generalized Linear Model (GLM) with normal distributions with identity, log, and logit functions, and (2) Quantile regressions to observe the effects of economic uncertainty and geopolitical risk on ERPT at 25th, 50th, and 75th quantiles. When we attempted to follow binomial and Poisson distributions, the models did not reach convergence due to negative dependent variable values.

In the regressions with normal distributions with identity and logit functions, the economic uncertainty and geopolitical risk variables were found insignificant on ERPT while the regression with normal distribution with log function resulted in a negative significant coefficient of economic uncertainty on ERPT at 10% level. Predicted outputs are presented in the appendix tables C1.a, C1.b, and C1.c.

The quantile regressions at 25th and 50th quantiles revealed also insignificant effects of economic uncertainty and geopolitical risk variables, as the regression at 75th quantile yielded negative significant coefficient estimation of economic uncertainty on ERPT at 1% level. The estimations are shown in tables C2.a, C2.b, and C2.c in the appendix.

In comparison with the outputs from MS models and the outputs from regressions with normal distributions with different functions and/or quantile regressions at different quantiles, one might state that, although distributions and quantiles matter, any regression function might

fail to capture the effects of independent variables on ERPT without estimating the outputs from different regimes/states.

Table C1.a GLM-Normal distribution with identity function*

| | Coefficient | z-Stat. | Prob. |
|------------------|-------------|-----------|--------|
| Constant | 0.040907 | 2.886258 | 0.0039 |
| Exchange_g | 0.272054 | 5.968333 | 0.0000 |
| GDP_g | 0.005442 | 3.668374 | 0.0002 |
| IP_g | -0.240156 | -1.931327 | 0.0534 |
| Econ_Uncertainty | -0.016090 | -0.720376 | 0.4713 |
| Geo_Risk | -0.000107 | -0.895063 | 0.3708 |
| Log Likelihood | 166.8684 | | |
| AIC | -3.785138 | | |
| SC | -3.612716 | | |

*Dep. Var. CPI_g; Method: GLM with Newton-Raphson / Marquardt algorithm

Table C1.b GLM-Normal distribution with log function*

| | Coefficient | z-Stat. | Prob. |
|------------------|-------------|-----------|--------|
| Constant | -3.449264 | -8.929800 | 0.0000 |
| Exchange_g | 3.139285 | 6.383822 | 0.0000 |
| GDP_g | 0.146214 | 4.945170 | 0.0000 |
| IP_g | -9.899692 | -3.759178 | 0.0002 |
| Econ_Uncertainty | -0.706310 | -1.728422 | 0.0839 |
| Geo_Risk | 0.000238 | 0.079495 | 0.9366 |
| Log Likelihood | 170.8509 | | |
| AIC | -3.878845 | | |
| SC | -3.706423 | | |

*Dep. Var. CPI_g; Method: GLM with Newton-Raphson / Marquardt algorithm

Table C1.c GLM-Normal distribution with logit function*

| | Coefficient | z-Stat. | Prob. |
|------------------|-------------|-----------|--------|
| Constant | -3.422136 | -8.463100 | 0.0000 |
| Exchange_g | 3.539016 | 6.434811 | 0.0000 |
| GDP_g | 0.154258 | 4.790620 | 0.0000 |
| IP_g | -10.47311 | -3.592832 | 0.0003 |
| Econ_Uncertainty | -0.695691 | -1.568945 | 0.1167 |
| Geo_Risk | 8.32E-05 | 0.026349 | 0.9790 |
| Log Likelihood | 170.9697 | | |
| AIC | -3.881639 | | |
| SC | -3.709217 | | |

*Dep. Var. CPI_g; Method: GLM with Newton-Raphson / Marquardt algorithm

Table C2.a Quantile regression at 25th quantile*

| | Coefficient | t-Stat. | Prob. |
|--------------------|-------------|-----------|--------|
| Constant | 0.021579 | 1.731987 | 0.0872 |
| Exchange_g | 0.172697 | 3.161029 | 0.0022 |
| GDP_g | 0.003288 | 2.150637 | 0.0346 |
| IP_g | -0.108696 | -0.910519 | 0.3653 |
| Econ_Uncertainty | 0.006846 | 0.416261 | 0.6783 |
| Geo_Risk | -0.000140 | -1.185129 | 0.2395 |
| Quasi-LR statistic | 166.8684 | | |

*Dep. Var. CPI_g; Sparsity method: Epanechnikov; Bandwidth method: Hall-Sheather

Table C2.b Quantile regression at 50th quantile*

| | Coefficient | t-Stat. | Prob. |
|--------------------|-------------|-----------|--------|
| Constant | 0.042078 | 2.812702 | 0.0062 |
| Exchange_g | 0.165193 | 2.445969 | 0.0167 |
| GDP_g | 0.003124 | 1.737721 | 0.0862 |
| IP_g | -0.118151 | -0.785867 | 0.4343 |
| Econ_Uncertainty | -0.016292 | -0.671856 | 0.5036 |
| Geo_Risk | -0.000147 | -1.070974 | 0.2874 |
| Quasi-LR statistic | 170.8509 | | |

*Dep. Var. CPI_g; Sparsity method: Epanechnikov; Bandwidth method: Hall-Sheather

Table C2.c Quantile regression at 75th quantile*

| | Coefficient | t-Stat. | Prob. |
|--------------------|-------------|-----------|--------|
| Constant | 0.050386 | 3.123093 | 0.0025 |
| Exchange_g | 0.312426 | 6.623944 | 0.0000 |
| GDP_g | 0.008344 | 2.903120 | 0.0048 |
| IP_g | -0.356210 | -2.447727 | 0.0166 |
| Econ_Uncertainty | -0.080417 | -3.082332 | 0.0028 |
| Geo_Risk | 9.89E-05 | 0.856271 | 0.3944 |
| Quasi-LR statistic | 170.9697 | | |

*Dep. Var. CPI_g; Sparsity method: Epanechnikov; Bandwidth method: Hall-Sheather

References

- Dawson, J. F. (2014), Moderation in management research: What, why, when, and how. *Journal of Business and Psychology*, 29(1), 1-19. <https://doi.org/10.1007/s10869-013-9308-7>
- Memon, M. A., Cheah, J.-H., Ramayah, T., Ting, H., Chuah, F., & Cham, T. H. (2019), Moderation analysis: Issues and guidelines, *Journal of Applied Structural Equation Modeling*, 3(1), i-xi. [https://doi.org/10.47263/JASEM.3\(1\)01](https://doi.org/10.47263/JASEM.3(1)01)